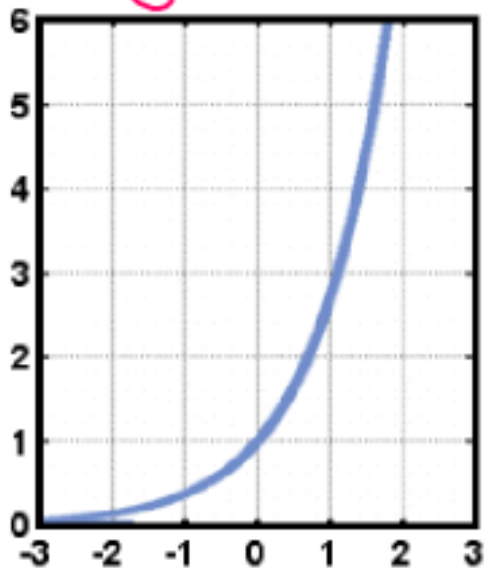


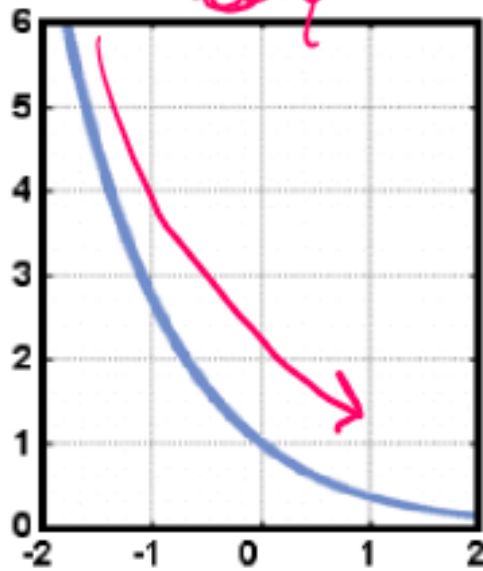
Exponential Growth

$$A = P(1 + r)^t$$

growth



decay



Exponential Decay

$$A = P(1 - r)^t$$

Mr. Foster is starting a new job. His salary for the first year is \$30,000. He will receive a 5% raise each year after that. Write a formula to define Mr. Foster's salary, s , for the n th year.

$$\begin{aligned} A &= S \\ P &= 30000 \\ r &= 0.05 \\ t &= n \end{aligned}$$

$$S = 30000(1 + 0.05)^n$$

How much will Mr. Foster make after 7 years?

$$\begin{aligned} S &= 30000(1 + 0.05)^7 \\ &= \$42213.01 \end{aligned}$$

Janet purchased a new car for \$25,000. The moment she drove the car off the lot, it began depreciating 15% per year. Write a formula to define the value of Janet's car, v , after n years.

$$A = v \quad A = P(1 - r)^t$$

$$\begin{aligned} A &= v \\ P &= 25000 \\ r &= 0.15 \\ t &= n \end{aligned}$$

$$V = 25000(1 - 0.15)^n$$

How much is Janet's car worth after 4 years?

$$\begin{aligned} V &= 25000(1 - 0.15)^4 \\ &= \$13050.16 \end{aligned}$$

In 2000, the world population was about 6.09 billion. During the next 13 years, the world population increased by about 1.18% each year. Write an exponential equation giving the population y (in billions) n years after 2000.

$$\begin{aligned} A &= y \\ P &= 6.09 \\ r &= 0.0118 \\ t &= n \end{aligned}$$

$$y = 6.09(1 + 0.0118)^n$$

Estimate the world population in 2005, 5 years after 2000.

$$\begin{aligned} y &= 6.09(1 + 0.0118)^5 \\ A &= 6.458 \text{ billion} \end{aligned}$$

You take a 325 milligram dosage of ibuprofen. During each subsequent hour, the amount of medication in your bloodstream decreases about 29% each hour. Write an exponential equation giving the amount y (in milligrams) of ibuprofen in your bloodstream t hours after the initial dose.

$$\begin{aligned} A &= y \\ P &= 325 \\ r &= 0.29 \\ t &= t \end{aligned} \quad y = 325(1 - 0.29)^t$$

How much ibuprofen will remain in your bloodstream after 3 hours?

$$\begin{aligned} y &= 325(1 - 0.29)^3 \\ y &= 116.321 \text{ mg} \end{aligned}$$

1. The world population in 2000 was approximately 6.08 billion. The annual rate of increase was about 1.26%. Find the world population in 2010.

$$A = 6.08(1 + .0126)^{10}$$

6.89 billion

2. A computer valued at \$6500 depreciates at the rate of 14.3% per year. Find the value of the computer after three years.

$$A = 6500(1 - .143)^3$$

\$ 4091.25

3. The population of a certain animal species decreases at a rate of 3.5% per year. You have counted 80 of the animals in the habitat you are studying. Predict the population of the animals in 5 years.

$$A = 80(1 - .035)^5$$

67 animals

4. A car's value depreciates at a rate of 9% each year. Find the current value of a car purchased for \$25,000 six years ago.

$$A = 25000(1 - .09)^6$$

\$14,196.73

5. Bill has a baseball card worth \$50. Its value increases at 3% per year. How much will the card be worth in 10 years?

$$A = 50(1 + .03)^{10}$$

A = \$ 67.20

A new truck that sells for \$29,000 depreciates in value 12% per year. Find the value of the truck after 7 years.

$$A = 29000(1 - .12)^7$$
$$\boxed{\$ 11851.59}$$

The bear population increases at a rate of 2% per year. There are 1573 bears this year. How many will there be in 10 years?

$$A = 1573(1 + .02)^{10}$$
$$\boxed{1917 \text{ bears}}$$

An investment of \$75,000 increases at a rate of 12.5% per year. Find the value of the investment after 30 years.

$$A = 75000(1 + .125)^{30}$$
$$\boxed{\$ 2,568,247.87}$$

1. The population of an endangered bird is decreasing at a rate of 0.75% per year. There are currently about 200,000 of these birds. How many of these birds will there be in 100 years?

$$A = 200000(1 - .0075)^{100}$$
$$\boxed{94,207 \text{ birds}}$$